

Newton's 1st Law (law of Inertia) ✓

If resultant force is **Zero** ✓ i.e. if forces are **balanced** ✓

- Rest → Rest ✓
 - constant velocity → constant velocity ✓
- i.e. **object maintains its "STATE"**

Newton's 2nd Law ::

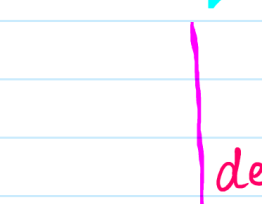
Force is equal to "rate of change of momentum" (define force) ✓

Momentum ✓

- symbol p ✓ ✓
- vector quantity (direction important)
- defined as product of mass and velocity of an object ✓
- formula $P = m \times v$ or $p = mv$
- units $\text{kg} \cdot \text{ms}^{-1}$ or $\text{N} \cdot \text{s} = (\text{kgms}^{-2}) \cdot \text{s} = \text{kgms}^{-1}$

$$F = \frac{\text{Change in momentum}}{\text{time}}$$

$$F = \frac{\Delta p}{t}$$



$$\Delta p = Fxt$$

Impulse

$$F = \frac{p_f - p_i}{t}$$

$$F = \frac{mv - mu}{t}$$

$$F = m \left(\frac{v-u}{t} \right)$$

since $\frac{v-u}{t} = a$

$$F = ma$$

define Impulse :: product of force acting on an obj. and the time for which it acts

formula for Impulse

$$\text{Impulse} = Fxt$$

OR

$$\text{Impulse} = \Delta p$$

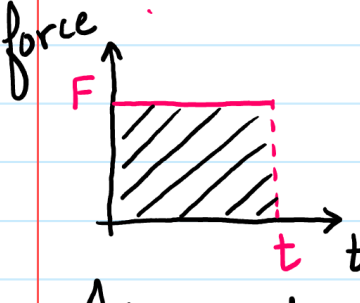
OR

$$\text{Impulse} = p_f - p_i$$

units of Impulse

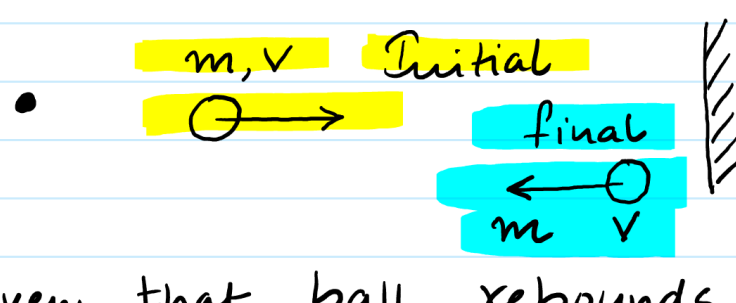
$$Fxt = \text{N} \cdot \text{s}$$

$$\Delta p = \text{kgms}^{-1}$$



Area under graph $Fxt = \text{Impulse or } \Delta p$.

- How to calculate change in momentum Δp .



given that ball rebounds **elastically**

Cal Δp ?

$$\leftarrow + \Delta p = p_f - p_i$$

$$\Delta p = m \cdot v - m(-v)$$

$$\Delta p = 2mv$$

$2mv$ to the left

$$\rightarrow + \Delta p = p_f - p_i$$

$$\Delta p = m(-v) - m \cdot v$$

$$\Delta p = -2mv$$

$-2mv$ to the right

- Cal Δp if the ball **did not rebound** at all.

$$\leftarrow + \Delta p = p_f - p_i$$

$$\Delta p = 0 - m(-v)$$

$$= mv$$

$$\rightarrow + \Delta p = p_f - p_i$$

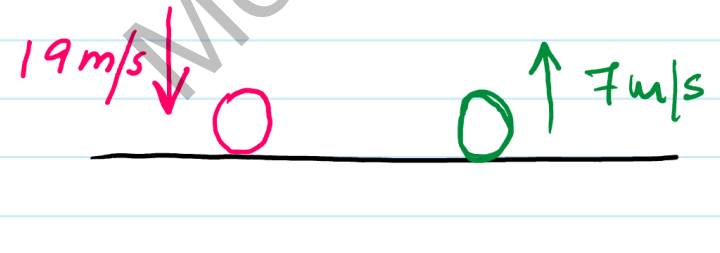
$$\Delta p = 0 - mv$$

$$= -mv$$

- Cal the **range of Δp** if ball rebounds **inelastically**.
 answer should be in between the previous 2 answers i.e. $mv < \Delta p < 2mv$

eg 2

⊙ $u = 4.3 \text{ ms}^{-1}$ ✓
 ↓ $t = 1.51 \text{ s}$ ✓
 to reach ✓
 the ground ✓



- (i) Cal final velocity as it hits the ground + ↓ $v = u + at$
 $v = 4.3 + (9.81)(1.51)$
 $v = 19 \text{ m/s}$

- (ii) g. that it **rebounds** with speed of **7 m/s**. Cal. the Δp **during impact**. $m = 50 \text{ g}$.

$$+ \uparrow \Delta p = p_f - p_i$$

$$\Delta p = (0.05)(7) - (0.05)(-19)$$

(19)

$\Delta p = 1.3 \text{ Ns}$ (one possible answer)

whereas the other alternate answer

$$+ \downarrow \Delta p = -1.3 \text{ Ns}$$

- (iii) time of impact is **12.5 ms**. Cal. the **force** exerted on the ground during impact.

$$F = \frac{\Delta p}{t}$$

$$+ \uparrow F = \frac{1.3}{12.5 \times 10^{-3}} = 104 \text{ N}$$

one possible answer.

otherwise

$$+ \downarrow F = -104 \text{ N (second possible answer)}$$

Q :: mass = m
 momentum = p
 Kinetic energy = $K.E$

Use formula for Kinetic Energy and momentum to prove that

$$K.E = \frac{p^2}{2m}$$

Ans ::